

Sequence-Dependent Orientational Coupling and Electrostatic Attraction in Cation-Mediated DNA–DNA Interactions

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Cite This: <https://doi.org/10.1021/acs.jctc.3c00520>



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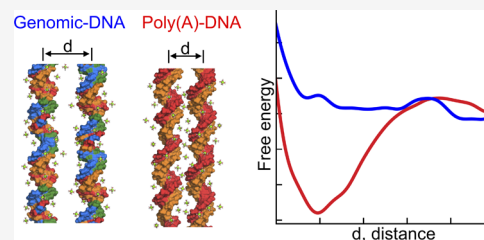


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ABSTRACT: Condensation of DNA is vital for its biological functions and controlled nucleic acid assemblies. However, the mechanisms of DNA condensation are not fully understood due to the inability of experiments to access cation distributions and the complex interplay of energetic and entropic forces during assembly. By constructing free energy surfaces using exhaustive sampling and detailed analysis of cation distributions, we elucidate the mechanism of DNA condensation in different salt conditions and with different DNA sequences. We found that DNA condensation is facilitated by the correlated dynamics of the localized cations at the grooves of DNA helices. These dynamics are strongly dependent on the salt conditions and DNA sequences. In the presence of magnesium ions, major groove binding facilitates attraction. In contrast, in the presence of polyvalent cations, minor groove binding serves to create charge patterns, leading to condensation. Our findings present a novel advancement in the field and have broad implications for understanding and controlling nucleic acid complexes *in vivo* and *in vitro*.



INTRODUCTION

Nucleic acids are the key molecular building blocks that store and convey genetic information. The precise higher-order structures of nucleic acids are often prerequisites for vital biological processes. A direct example of their organization in biological organisms is that meter-long DNA helices are compressed and confined inside the cell nucleus in the range of 10^{-6} meters.^{1–4} The process of compacting double-stranded (ds) DNA, the prevalent physical form of the genome, is technically known as DNA condensation, which is essential for gene regulation in all forms of life.⁵ DNA condensation is counterintuitive, as DNA strands are highly charged, suggesting an organized assembly of like-charged molecules.⁶ One critical component of macromolecular assemblies of nucleic acids is oppositely charged molecules, such as the histones in eukaryotic chromatin and the cationic lipids in lipid nanoparticles.^{7–9} Remarkably, a wide range of multivalent cations, such as naturally occurring polyamines spermidine³⁺, spermine⁴⁺, and inorganic cobalt hexamine ($\text{Co}(\text{NH}_3)_6^{3+}$).^{10–13} Even divalent cations have been observed to induce structured aggregates of DNA molecules *in vitro*.¹⁴ Despite extensive studies, the molecular mechanisms of DNA condensation, the subject of this study, remain under debate.^{6,14,15}

Decades of research have yet to reach a consensus on the physical operating principles of the seemingly simple, nonetheless multifaceted, three-component system of DNA, ions, and solvent molecules. Competing theoretical models, such as the Kornyshev–Leikin (KL) zipper mechanism,¹⁶ the tightly bound ion ansatz,¹⁷ correlation effects,^{10,18–20} hydration formalism,²¹ and cation-bridging model,²² have all succeeded

in characterizing and explaining the spontaneous assembly of DNA molecules. However, each model usually addresses one pertinent aspect of the system and has a limited scope of applicability. For instance, the cation-bridging model can only be applied to biogenic polycations, such as spermine⁴⁺, but was not applicable to point-charge cations such as divalent cations. Earlier simulation works reporting bridging Mg ions²³ likely attributed to the artifacts of the cation parameters. In the KL mechanism, as another example, the binding of cations to dsDNA major grooves assumes a “static” binding that is unrealistic due to the known cation density fluctuations. As a result, the model fails to predict DNA condensation by minor groove binders or the recently reported DNA aggregation in alkaline-earth metal ions (Mg^{2+} , Ca^{2+}).¹⁴ In addition, while the hydration force proposal²⁴ was based on experimental observation and theoretical formulation, its causal relationship with electrostatics is difficult to appraise.²⁵

On the other hand, the challenges in arriving at a unified theory may be implicated in the diverse ranges of experimental conditions capable of condensing DNA. Consider the case of random-sequence dsDNA in divalent Mg^{2+} salts. Perturbing the solvent by adding ethanol condenses DNA; raising the cation valence with $\text{Co}(\text{NH}_3)_6^{3+}$ or polyamines condenses

Received: May 18, 2023

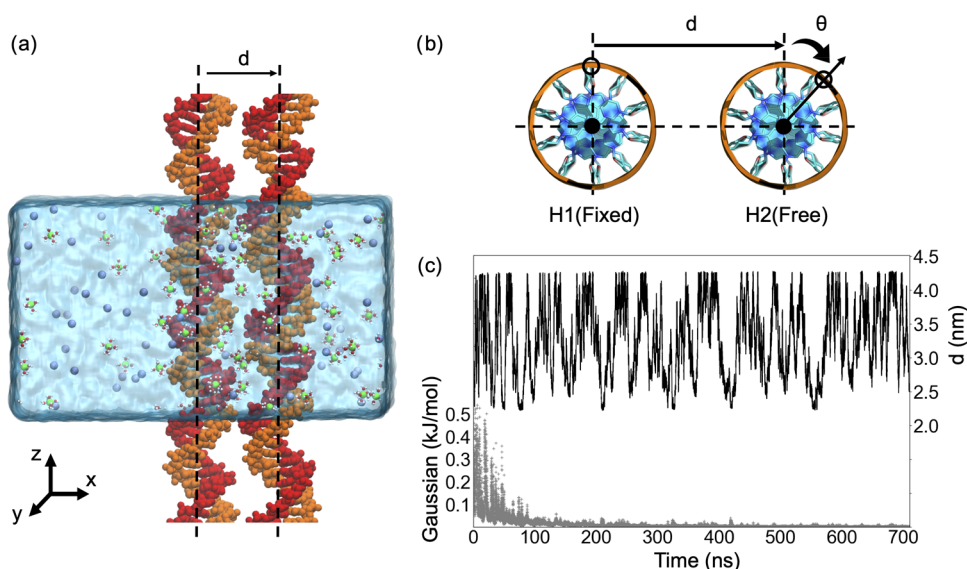


Figure 1. Simulation setup of the parallel DNA duplexes. (a) Simulation box with explicit water and ions. Periodic boundary conditions along the z -axis allowed the extension of the DNA to an infinite length, mimicking DNA arrays. (b) Reaction coordinate of DNA–DNA interactions is described by the interhelical distance d measured in the (x, y) plane, and θ , the rotation of helix 2 (H2) with respect to the helix (H1) restrained in orientation. To sample conformations in d, θ , well-tempered metadynamics (WTMD) simulations are employed. (c) Convergence of sampling monitored by the time evolution of the Gaussian height (gray) and interhelix spacing d (black) and Figure S1.

DNA. To complicate it even more, chemical modifications of the ribose (e.g., 2'-OH addition to turn DNA to RNA) or the base (e.g., methylation of cytosine) have been shown to substantially weaken attraction.^{22,26} The study of Yoo et al.⁶ examined the DNA–DNA interactions in various mixed electrolyte solutions. Computing the effects of entropy by performing potential of mean force (PMF) calculations at different temperatures and dissecting the relative contribution of various molecular species and interactions to the pairwise PMF, they demonstrate that the Na^+ /spermine⁴⁺ mixture of poly-G is governed by electrostatic forces. In the presence of spermine⁴⁺, they also reported azimuthal angle correlations, concluding that the bridging mechanism leads to DNA condensation in the presence of spermine⁴⁺. More recently, we showed that switching to the homopolymeric sequence of poly-A can also lead to DNA condensation in the presence of divalent ions.¹⁴

No existing analytical theories can describe all observations. Recent theoretical efforts have focused on using all-atom molecular dynamics (MD) simulations to dissect the different facets of DNA–DNA interactions.^{6,22,27,28} As a result, several distinctive molecular mechanisms have been identified, such as ion bridging with chain-like polycations,^{20,22} the constructive roles of externally bound interfacial cations, and the destructive effects of deep helical grooves internalizing cations.^{29,30} Albeit powerful, MD simulations are subject to inaccuracies in the force fields and difficulties in sampling the multiple time and length scales of the macromolecular system.

To address such challenges, we have investigated the utilities of advanced sampling techniques and refined empirical potentials^{27,31} in all-atom molecular simulations of DNA–DNA interactions. Our computational approach enabled us to develop a reliable theoretical protocol for studying nucleic acid interactions across various conditions. We were able to accurately reproduce DNA condensation/dissolution experiments under different conditions and sequences. Expanding upon previous studies^{6,14,22,32,33} that exclusively utilized

interhelical spacing as the reaction coordinate for conformational sampling, we included the azimuthal angle as an additional variable,³⁴ giving rise to two-dimensional (2D) free energy surfaces. This added complexity has yielded novel findings that shed light on the mechanism of DNA condensation. Our simulations indicate that the azimuthal angle plays a crucial role in positioning the helices to facilitate attraction. To investigate the mechanism of like-charge attraction, we compared the recently observed divalent-mediated dsDNA attraction to the well-known polyvalent-induced DNA condensation. We examined the effect of the DNA sequence on the DNA–DNA interaction by contrasting a repeating poly(A)–poly(T) sequence (ATDNA) with a random sequence (MixDNA) that mimics genomic DNA. Similar to ref 6, to investigate the role of cations in modulating DNA–DNA interactions, we studied systems with pure divalent magnesium salt, as well as ionic mixtures of sodium/magnesium and sodium/magnesium/spermine.

Through our atomistic simulations, we were able to decompose the free energy landscape into energetic and entropic factors, providing valuable insights into the underlying forces driving DNA condensation. We have observed that the cation distribution is the primary factor contributing to DNA–DNA interactions, with both energetic and entropic components playing a role in modulating these interactions. In homopolymeric ATDNA sequences, enhanced cation binding and dynamics in the major groove of DNA significantly contribute to DNA–DNA attraction induced by Mg^{2+} . Although DNA condensation is an overall process of entropy loss for cations, we observed that the loss of cation entropy is dependent on the DNA sequence. Specifically, ATDNA pairs exhibit a lower entropy loss than mixed DNA sequences due to the enhanced dynamics of groove-bound cations. These cations play a critical role in DNA–DNA attraction and interhelical orientational coupling through charge–charge correlations. In a Na/Mg mixture solvent, we observed that attraction forces were weakened due to ion

competition, leading to inadequate electrostatic screening. However, the addition of polyvalent cations, such as spermine⁴⁺, resulted in a shift in the equilibrium toward attraction due to the specific binding of the polyvalents to the minor grooves. In contrast to divalent-induced DNA condensation, attraction induced by spermine was caused by chain-like cations bridging adjacent phosphate groups by utilizing minor grooves.

Our results demonstrate excellent qualitative and quantitative agreement with experiments and reveal a distinctive mechanism of DNA condensation. The regular, extended charge patterns in the grooves create a salt-dependent "dynamic chain" of mobile cations, resulting in interhelical orientational coupling and azimuthal ordering. We propose that the surface structure and sequence-dependent binding of cations represent a novel principle for DNA interactions. Our findings have implications in genome packing, molecular recognition, and molecular assembly.

THEORY AND METHODS

All-atom molecular dynamics simulations were used to study the interactions between pairs of double-stranded DNA (dsDNA). Two DNA sequences were investigated: a 20-bp duplex consisting of two homopolymeric chains (dA₂₀ and its complementing strand), referred to as ATDNA, and a quasi-random sequence (GCA TCT GGC TATA AAA GGG and its complement), referred to as MixDNA. We positioned each DNA pair in parallel (Figure 1a) and sampled conformations of distances and orientations. To investigate the solvent dependence of DNA–DNA interactions, we studied pure Mg, mixtures of Mg/Na, Mg/K, and Mg/Na/spermine. Well-tempered metadynamics (WTMD) simulations allowed us to construct free energy landscapes.³⁵ We analyzed the electrostatic and entropic contributions of DNA and its partners as well as hydration. Details of the simulation approach, solution conditions, and analysis methods are summarized below and explained in depth in the Supporting Information (SI) and Theory and Methods.

Molecular Modeling and Simulation Setup. Both dsDNAs were built in B-form using the nucleic acid builder (NAB).³⁶ DNA pairs were placed in a simulation box of 11.8 × 11.8 × 6.8 nm³. We aligned them along their long axis such that the DNAs extend to infinity under periodic boundary conditions, mimicking long DNA arrays used in experiments.¹⁴ Simulations were carried out using the GROMACS 2018.5³⁷ suite of programs. We used the amber99sb_parmbsc0^{38–41} force field to represent DNA, and water was modeled by TIP3P.⁴² For Mg, Na, K, and Cl, we used NBFIX²⁷ parameters. Different parametrizations of ions can affect the dynamics and interactions of nucleic acids (see, for example, Rozza et al.⁴³ and discussions in ref 6). The choice of NBFIX correction proves to reproduce experimentally consistent DNA–DNA interactions.^{6,14,22,27,34} For spermine, we also adopt NBFIX corrections^{6,31} while we compute partial charges using the RESP procedure.⁴⁴ The topology files of spermine can be found in the SI. As a benchmark, we compare our free energy profile with ref 22 (Figure 1c). Further details of the modeling and simulation methods are explained in the Supporting Information.

Well-Tempered Metadynamics. To exhaustively sample the conformational space of DNA pairs, we performed well-tempered metadynamics implemented in PLUMED.^{35,45} We reduced the dynamics to two straightforward collective

variables (CV): the interhelical distance (d) and the axial rotations of helices relative to one another (Figure 1a,b). For ease of visualization and analysis, we constrained the rotations and translations of one helix (H1) using the enforced rotation implementation in GROMACS,⁴⁶ while allowing the other helix (H2) to freely move. The fluctuations of the collective variables were monitored, and the convergence of the simulations was assessed by evaluating the amplitudes of the Gaussian heights deposited in the space of the CVs (Figure 1c). WTMD sampling was considered converged when the Gaussian hills decayed and reached asymptotic values. The block analysis was used to further examine the convergence (Figure S1). Detailed descriptions of the WTMD setup are given in the Supporting Information. Details of the WTMD theory and our application to DNA–DNA interactions can be found elsewhere.^{34,35}

Data Analysis. From the particle positions in a simulation box of volume V , we compute the average cation number density

$$\rho(\mathbf{r}) = \left\langle \frac{1}{V} \sum_i \delta(\mathbf{r} - \mathbf{r}_i) \right\rangle \quad (1)$$

where $\mathbf{r} \equiv (x, y, z)$ represents an arbitrary point in space and $\langle \cdot \rangle$ represents the ensemble average obtained from a 300 ns brute-force MD simulation. We use a spatial resolution of 1 Å.

Due to the helical nature of the duplex, we transform the density profile to the cylindrical coordinates

$$c_q(\lambda) = \frac{q}{N_A} \iiint_0^\lambda \rho' \psi(\rho', \theta, z) d\rho' d\theta dz \quad (2)$$

where λ represents the distance from the center of the helix, N_A is the Avogadro constant, and q is the valence of the specified ion. Based on the cylindrical geometry, we compute the average number of excess cations condensed on the DNA up to a distance R

$$N_{\text{excess}}(R) = 2\pi L \int_0^R \lambda [c(\lambda) - c_{\text{bulk}}] d\lambda \quad (3)$$

where $c(\lambda)$ is the average cation concentration around a cylindrical coordinate at a radial distance λ , c_{bulk} is the bulk concentration of the cation from the center, and L is the length of the DNA long axis.

Similarly, for each point in space, we computed the charge density $\rho_q(\mathbf{r})$. We probe the electrostatic potential acting at an arbitrary point r_1

$$\Phi(r_1) = \frac{1}{4\pi\epsilon} \int_v \frac{\rho_q(\mathbf{r})}{|\mathbf{r}_1 - \mathbf{r}|} d\mathbf{r} \quad (4)$$

where the integral is evaluated over a subvolume v , forming a shell of 10 Å thickness on the DNA's surface. The cutoff is determined based on the Debye length at the salt condition. From $\Phi(r)$, we computed the stored electrostatic potential energy between helices at an arbitrary interhelical distance, d , as

$$U_d = \frac{1}{2} \int \Phi_1(\mathbf{r}_1) \rho_q(\mathbf{r}_1) d\mathbf{r}_1 \quad (5)$$

To accurately assess the contribution of thermodynamic potentials, we also computed the entropy changes upon assembly. For that, we divided the entropic contributions into the conformational entropy of DNA pairs and the entropy of

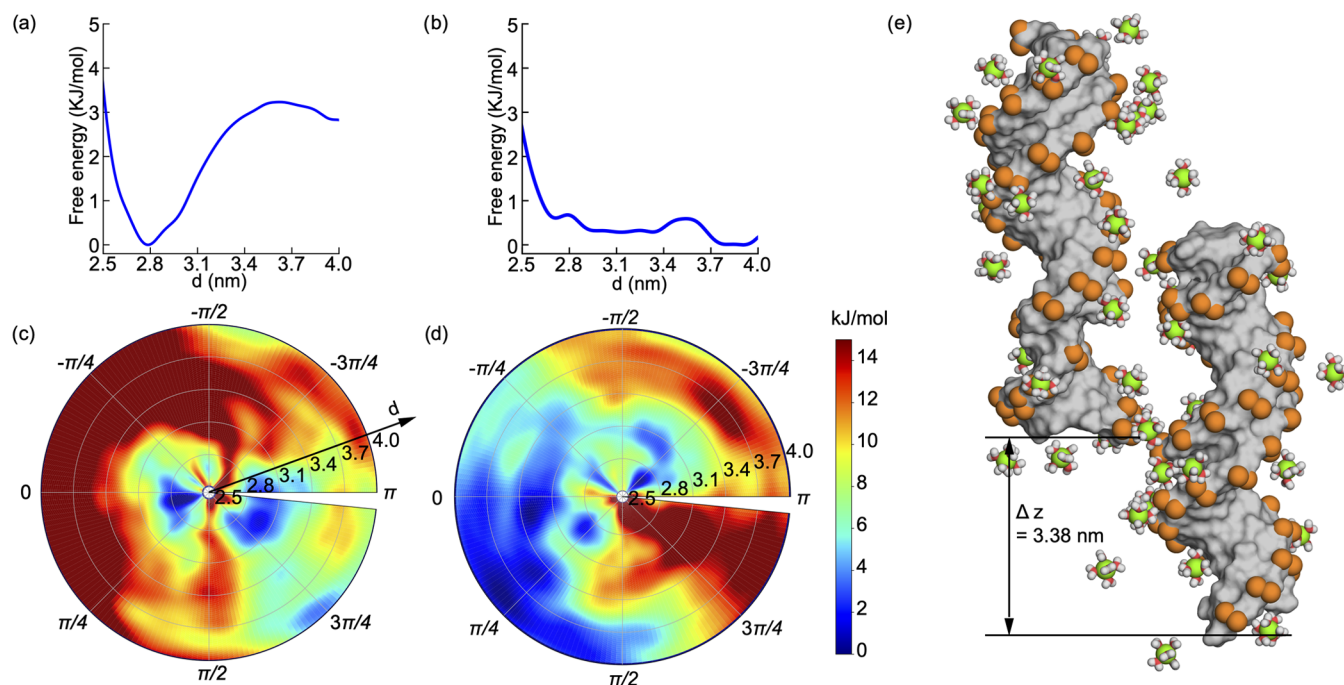


Figure 2. Free energy profile of sequences ATDNA and MixDNA in pure Mg^{2+} . (a) Free energy profile of ATDNA as a function of interhelical spacing d . Figure S3 reports on the azimuthal angle, θ . (b) Free energy profile of MixDNA. (c, d) Free energy surface in the 2D (d, θ) polar chart. In the polar plot of the free energy surface, the radial distance from the origin represents the interspacing distance (arrow), denoted as d in panels (a) and (b), while the angular coordinate corresponds to the azimuthal rotation θ . (c) ATDNA and (d) MixDNA. (e) Representative conformation of ATDNA at the energy minimum ($d \sim 2.77$ nm, $\theta \sim 0.25$ rad). See Movie S1 in the SI for the dynamics.

the solvent (cations and water). The first one is estimated using the multiscale cell correlation (MCC) theory,^{47,48} where the total entropy is the sum of the following:

$$S_M = S_M^{\text{transvib}} + S_M^{\text{rovib}} + S_M^{\text{topo}} \quad (6)$$

Here, S_M^{transvib} and S_M^{rovib} are translational and rotational vibrations of the macromolecule, while S_M^{topo} accounts for the topographical entropy. Due to the well-defined structure of the double helix, we found the changes in the S_M^{topo} term negligible.

To estimate the entropy of Mg^{2+} ions and water, we employed the two-phase thermodynamic (2PT) method.^{49–52} In this method, the density of state (DoS) is represented by solid-like ($S^s(\nu)$) and gas-like ($S^g(\nu)$) components, $S(\nu) = S^g(\nu) + S^s(\nu)$, and the entropy is estimated from the DoS associated with the atomic velocities (ν) decomposed into contributions from molecular translation ($S_{\text{trans}}(\nu)$), rotation ($S_{\text{rot}}(\nu)$), and vibration ($S_{\text{vib}}(\nu)$)⁵¹

$$S(\nu) = S_{\text{trans}}(\nu) + S_{\text{rot}}(\nu) + S_{\text{vib}}(\nu) \quad (7)$$

The convergence of the estimates was assessed by block averaging (Figure S2). Details of the theory can be found in ref 49, and our implementation of the method is detailed in the Supporting Information.

To determine the thickness of the hydration layer, we computed the tetrahedral order parameter⁵³

$$S_g = \frac{3}{32} \sum_{j=1}^3 \sum_{k=j+1}^4 \left(\cos \Psi_{j,k} + \frac{1}{3} \right)^2 \quad (8)$$

where $\Psi_{j,k}$ is the angle subtended at the central atom between the j th and k th bonds. The factor of $3/32$ serves to adjust S_g in the range $0 < S_g < 1$. We binned the data into cylindrical shells with a bin size of 0.5 \AA .

RESULTS

Due to the high persistence length (150 bp), DNA–DNA interactions can be modeled as parallel rods. As these interactions are additive, the forces between the long DNA strands increase in strength, resulting in a strong driving force at the macroscopic level, although they are relatively weak at the base-pair level. Achieving accurate computational modeling of these interactions requires capturing a free energy change of 0.01 to 0.1 kJ/mol/bp, which is challenging due to inaccuracies in force fields. However, by extensively sampling inter-DNA distances and orientations using a force field refined based on solution studies of DNA interactions,^{27,31} we were able to successfully replicate experimentally consistent DNA interactions, enabling us to conduct a comprehensive analysis of cation-mediated interactions.

WTMD Establishes Sequence-Dependent DNA–DNA Attraction in Mg^{2+} . Using our approach, we first looked at the ATDNA, the homopolymeric DNA sequence that shows condensation in experiments.¹⁴ We compared the ATDNA sequence with a sequence mimicking the genomic DNA, constructed by introducing an about equal composition of each nucleobase, abbreviated as MixDNA henceforth. Both sequences are studied under the same salt conditions to provide a fair comparison. The free energy profiles of the two sequences are shown in Figure 2a–d. The free energy projected on interhelical distances suggests that the ATDNA pair has the energy minimum at $d \sim 2.8$ nm (Figure 2a), consistent with the equilibrium interhelical distance measured by experiments.¹⁴ The free energy of binding $\Delta F = F(2.8 \text{ nm}) - F(4.0 \text{ nm}) \approx (-0.15) \text{ kJ/mol/bp}$ agrees well with the estimated value from osmotic stress measurements.⁵⁴ This difference in energy between the bound and unbound states results in $\approx (45–75) \text{ kJ/mol}$ of stabilization for DNA pairs of

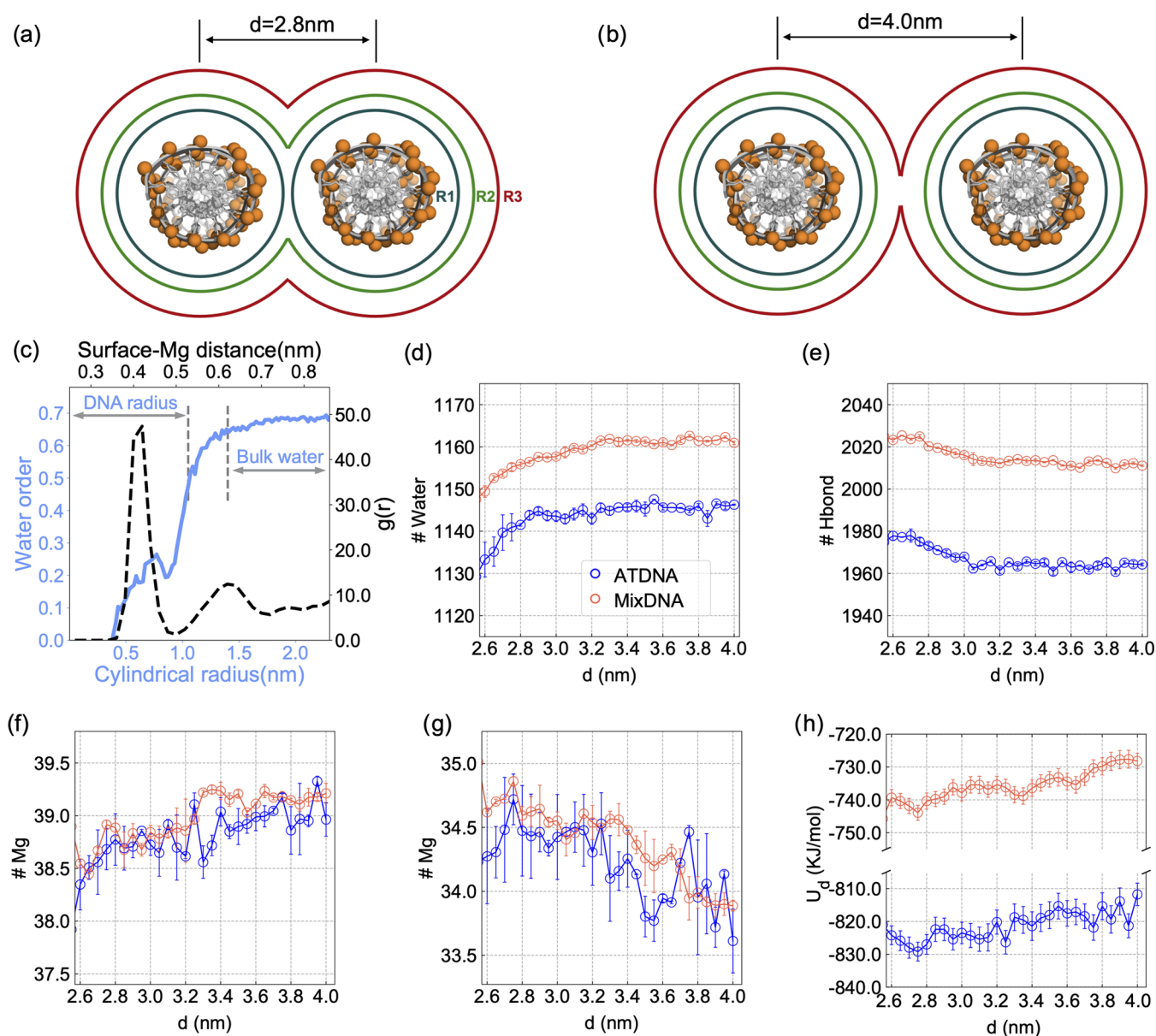


Figure 3. Solvation shell dynamics in free to condensed-phase transition. Graphical representation of the different layers of the DNA solvation shell comprised of 3.5 Å hydration (R1), 6.0 Å tight cation binding (R2), and 10.0 Å Debye layer (R3). (a) Condensed-phase solvation layers and (b) free state. (c) Tetrahedral water (blue) and radial distribution function (dashed black) analysis of Mg^{2+} around the surface of a DNA helix. (d) Change in bound water molecules in R1 as a function of interspacing d . (e) Change in number of hydrogen bonds within R1 as a function of interspacing d . (f) Change in Mg^{2+} in the outer layer (R3). (g) Number of bound Mg^{2+} ions (R2 region). (h) Change of stored electrostatic energy (U_d) within the R3 layer as a function of inter-DNA spacing.

300–500 bp, which is sufficient to overcome the thermal energy, leading to condensation, as observed.¹⁴

While the free energy profile of ATDNA shows attraction, the free energy of MixDNA lacks any deep minimum at short DNA–DNA distances (Figure 2b). The downhill nature of the energy profile of MixDNA suggests spontaneous dissociation of DNA arrays. This observation is in accord with experiments on the genomic DNA.¹⁴

To provide further details about the DNA–DNA interactions, we present the free energy landscape in two dimensions (Figure 2c,d). The polar plots display energy values in the interhelical distance, d , and azimuthal angle, θ . Consistent with the pictures in Figure 2a,b, the FESs show sequence-dependent behavior with angle correlations in ATDNA for shorter interhelical distances. The observed

orientational coupling minimizes the distances between the phosphate backbone and major grooves (Figure 2e). In sharp contrast, MixDNA shows weak orientational coupling at short distances (Figure 2c,d), a wide but visible correlation for MixDNA is also evident at longer distances (Figure S3).

Solvation Shells Show Subtle Differences between ATDNA and MixDNA. ATDNA duplexes exhibit attraction under the same conditions as MixDNA exhibits repulsion. To investigate the sequence-dependent causal factors, we analyze and compare the relevant thermodynamic quantities of DNA, cations, and water in detail. Given the critical role of the solvent, we examine the changes in water and cation coordination in addition to the electrostatic energy stored in the solvation shell (Figure 3).

Table 1. Entropy Change during the Transition^a

	$-T\Delta S_{\text{Mg}^{2+}}$ (kJ/mol)	$-T\Delta S_{\text{DNA}}$ (kJ/mol)	$-T\Delta S_{\text{water}}$ (kJ/mol)	$-T\Delta S_{\text{total}}$ (kJ/mol)
ATDNA	1.87 ± 2.10	0.62 ± 0.23	-13.04 ± 1.13	-10.55 ± 2.40
MixDNA	7.04 ± 1.36	0.83 ± 0.54	-14.11 ± 1.57	-6.24 ± 2.15

$$^a \Delta S = S_{d=2.8 \text{ nm}} - S_{d=4.0 \text{ nm}}$$

To facilitate analysis, we divided the surface of the DNA into three regions (Figure 3a). The first region denoted as R1 corresponds to the bound water region identified by tetrahedral water analysis (Figure 3c, left *y*-axis) and spans from 0 to 3.5 Å. The second region corresponds to the bound cation region identified by the radial distribution function (RDF) and spans from 0 to 6 Å (Figure 3c, right *y*-axis). The third region is defined based on the Debye length at our salt condition and spans from 0 to 10 Å. We define the DNA pairs as a condensed state when the interhelical distance is at 2.8 nm, and the free state is defined when pairs are at 4.0 nm (Figure 3a,b). We monitored the changes in the solvation shell as the double strands transitioned from the free state to the condensed phase along the condensation path. The path was constructed using 500 snapshots from interhelical distances, equally spaced with a resolution of $\delta d = 0.5$ Å.

We observed that MixDNA has a stronger hydration shell compared to ATDNA (Figure 3d,e). The coordination number of bound water (at R1) shows a decrease as the DNAs come closer, suggesting water release from the DNA surface. Interestingly, despite the reduction of water from the solvation shell of R1, the number of hydrogen bonds shows an increase as the two DNA pairs approach one another, suggesting water bridging between the two DNA hydration layers. MixDNA, which has a denser water shell, has a greater number of water molecules and, hence, a higher number of hydrogen bonds throughout the pathway. The differences between ATDNA and MixDNA remain consistent as the DNAs transition from the free to the condensed phase.

The coordination number of cations in the R3 region shows a reduction upon DNA condensation, while the coordination of cations to the R2 region increases (as shown in Figure 3f,g), indicating a reorganization of cations in the outer and inner solvation shells as the DNA pairs come closer. However, despite these changes, the number of counterions does not exhibit a strong sequence dependence to explain the distinct behavior observed in the free energy landscape.

Although there are substantial similarities in the cation coordination between the two sequences, we have observed a notable difference in the stored electrostatic energy, U_d , (as described in the methods) between ATDNA and MixDNA (as shown in Figure 3h). Notably, the magnesium distribution around ATDNA creates a better screening for the double helices compared to MixDNA, leading to lower U_d values throughout the path.

To understand the structural differences between the cation distributions that lead to differences in the electrostatic response of the duplexes, we have plotted the ion densities in the form of radial distribution and three-dimensional (3D) number densities (as shown in Figure S4). For both sequences, we observed a two-layer ion distribution around DNA. However, the localization patterns of cations around the two layers are different in the ATDNA and MixDNA duplexes. In the case of ATDNA, a uniform and well-defined distribution of cations is observed in the major groove. On the other hand, in the case of MixDNA, discrete binding pockets reflecting the

heterogeneity of the sequence are evident. The cation distributions of the DNA surface show stronger DNA–Mg interactions in ATDNA (as shown in Figure S4), indicating that the ATDNA sequence provides a stronger electrostatic field to attract cations. The difference between ATDNA and MixDNA is that in the ATDNA, the major groove surface is decorated with two highly electronegative sites, forming charge patterns that do not exist in the case of MixDNA.¹⁴ Additionally, ATDNA possesses a wider major groove,⁵⁵ which results in a shorter phosphate-to-phosphate distance between the two strands, leading to a higher negative charge density at the surface of the DNA. The higher peak intensity in the radial distribution function (RDF) (as shown in Figure S4) observed in the case of ATDNA highlights the importance of the interchain phosphate group distances.

The electrostatic interaction in the solvation shell favors DNA condensation in both sequences, but ATDNA provides better enthalpic stabilization on the absolute scale, yet relative energy changes remain similar. However, the question regarding how the entropic factors compare between the two sequences. To assess the entropic factors, we have partitioned the total entropy in the solvation shell (as defined above) into the components of cation, water, and DNA. We define the change in entropy as $\Delta S = \Delta S_{\text{cation}} + \Delta S_{\text{DNA}} + \Delta S_{\text{water}}$, where $\Delta S_x = S_x(2.8 \text{ nm}) - S_x(4.0 \text{ nm})$ represents the entropy change for each term, with $x = \text{total, cation, DNA}$. The details of computing each entropy term are explained in the Theory and Methods section and SI. Our findings are reported in Table 1.

Based on our analysis, we found that the displacement of water makes a significant contribution to the entropy and overall stability of the condensed phase (as shown in Table 1). In contrast, the entropy of DNA plays a minor role. Interestingly, we have discovered that the cation entropy shows a notable difference between condensed and free states. The most significant difference between the two sequences is their cation entropy changes; an entropic penalty of $T\Delta S_{\text{cation}}^{\text{MixDNA}} \approx 7$ kJ/mol makes DNA condensation less likely for MixDNA. ATDNA's unique topology, with two continuous binding layers and a wider major groove that facilitates dynamic exchanges of condensed cations,³⁴ leads to an overall free energy penalty of $T\Delta S_{\text{cation}}^{\text{ATDNA}} \approx 2$ kJ/mol. As a result, ATDNA offers a more stable condensate compared to MixDNA under the same salt condition.

Distinct Azimuthal Ordering of ATDNA in Ion Mixtures. The surface structure of ATDNA results in a lower electrostatic energy and higher mobility of cations. This property stabilizes DNA pairs in the presence of the pure MgCl_2 solution. The unique ability of ATDNA to orient itself and self-assemble in divalent cations raises the question of whether other cations, especially those present under physiological conditions, can mediate attraction and azimuthal ordering in a similar way. Physiological conditions for DNA consist of cationic mixtures ranging from simple ions such as Na^+/K^+ and Mg^{2+} to polyelectrolytes, including polyamines and oligopeptides. To answer that, we investigate three mixture conditions: (1) a mixture of $\text{Mg}^{2+}/\text{Na}^+$, denoted as Na–Mg

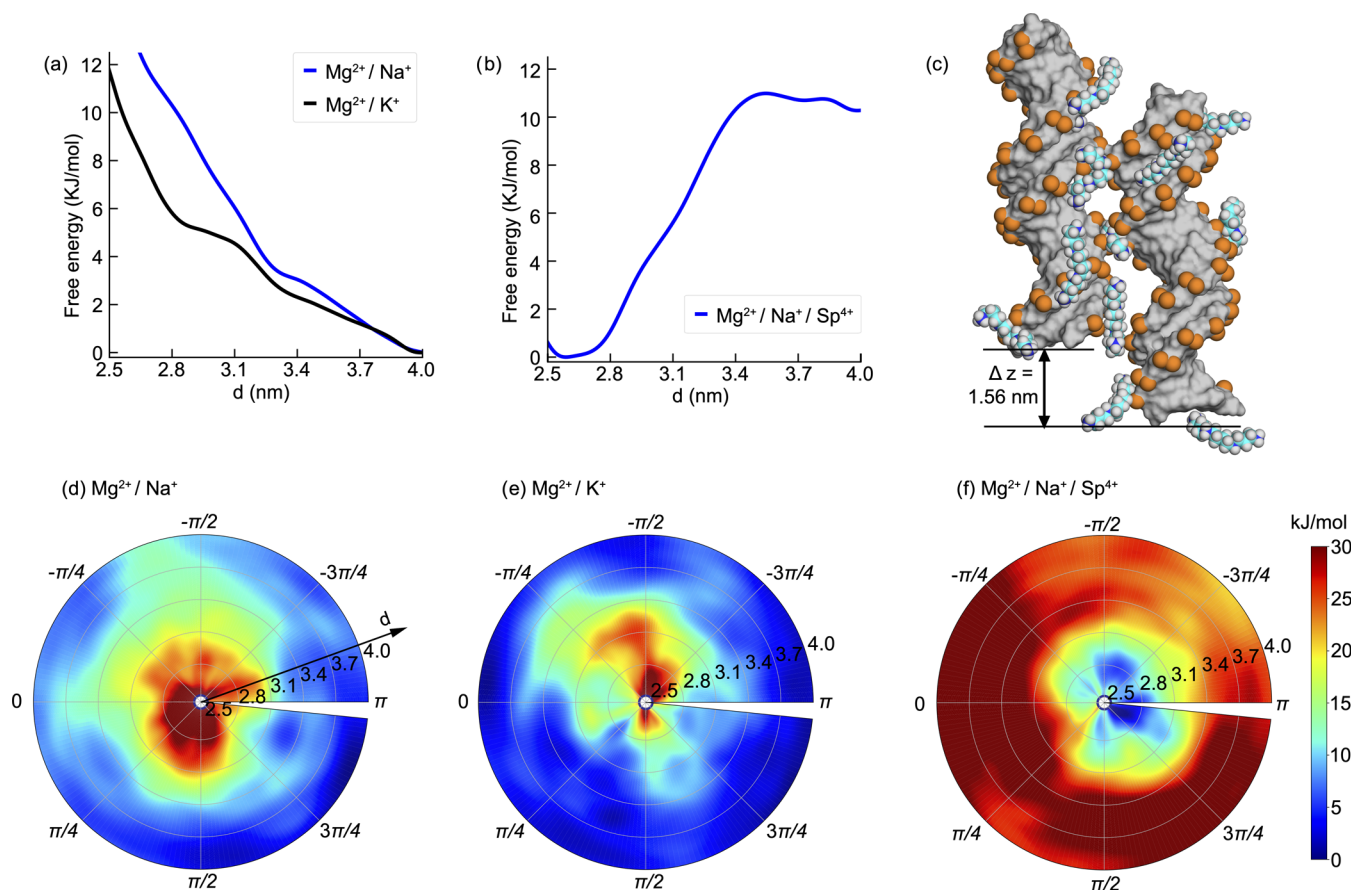


Figure 4. Free energy surface sampled by metadynamics simulations projected onto the two collective variables (d , θ) for ATDNA in physiological salt conditions. (a) Free energy profile along the reaction coordinate d for ATDNA in binary mixtures of $\text{Mg}^{2+}/\text{Na}^+$ and $\text{Mg}^{2+}/\text{K}^+$ showing a monotonic descending order. (b) Free energy profile along the reaction coordinate d for ATDNA in $\text{Mg}^{2+}/\text{Na}^+/\text{spermine}^{4+}$. (c) Snapshot shows the representative conformation of ATDNA in $\text{Mg}^{2+}/\text{Na}^+/\text{spermine}^{4+}$ at the energy minimum ($d \sim 2.59$ nm, $\theta \sim 2.51$ rad) and illustrates the spermine⁴⁺ ligand bridging between DNA pairs (see [Movie S2](#) in the SI). (d–f) 2D FES map inside the polar chart projected on (d , θ) for (d) ATDNA in $\text{Mg}^{2+}/\text{Na}^+$, (e) ATDNA in $\text{Mg}^{2+}/\text{K}^+$, and (f) ATDNA in $\text{Mg}^{2+}/\text{Na}^+/\text{spermine}^{4+}$.

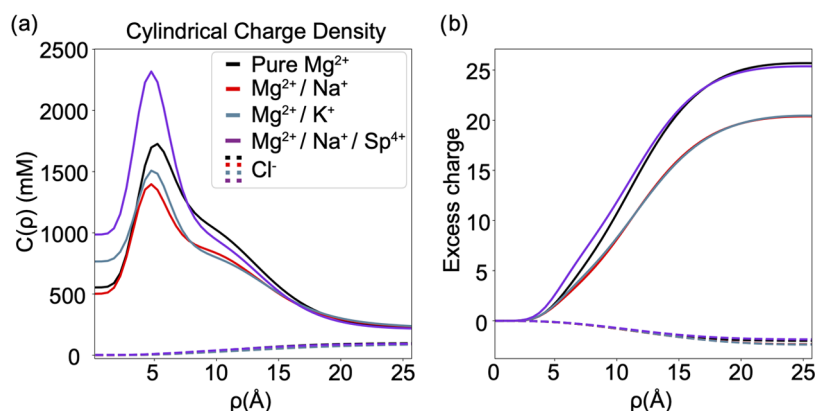


Figure 5. Comparison of cation charge distribution around the cylindrical axis of the DNA in different salt conditions. (a) Concentration profile of the total charge as a function of the distance from the center of DNA, ρ . (b) Excess positive cation charge (solid) and negative charge (dashed).

henceforth; (2) a mixture of $\text{Mg}^{2+}/\text{K}^+$, denoted as K–Mg; and (3) a mixed solution of $\text{Mg}^{2+}/\text{Na}^+/\text{spermine}^{4+}$, denoted as Na–Mg–Sp. The concentrations of each species in the mixture were adjusted to maintain a constant total Cl^- concentration in the simulation box. Details of the molecular setup of the mixtures can be found in the [Supporting Information](#). Similar to the pure Mg^{2+} solution, we used WTMD to construct the FES of the duplex pairs.

The free energy landscape of the ionic mixtures is presented in [Figure 4a,b](#). In Na–Mg, we observe a repulsive downhill potential, where the lower energy states correspond to the duplex pairs being far apart. Thus, our simulation results show good agreement with experimental studies, indicating that the addition of Na^+ to condensed ATDNA in Mg^{2+} leads to the dissolution of the macroscopic Mg–ATDNA condensates.⁵⁶ The free energy profile of K–Mg, to some extent, resembles

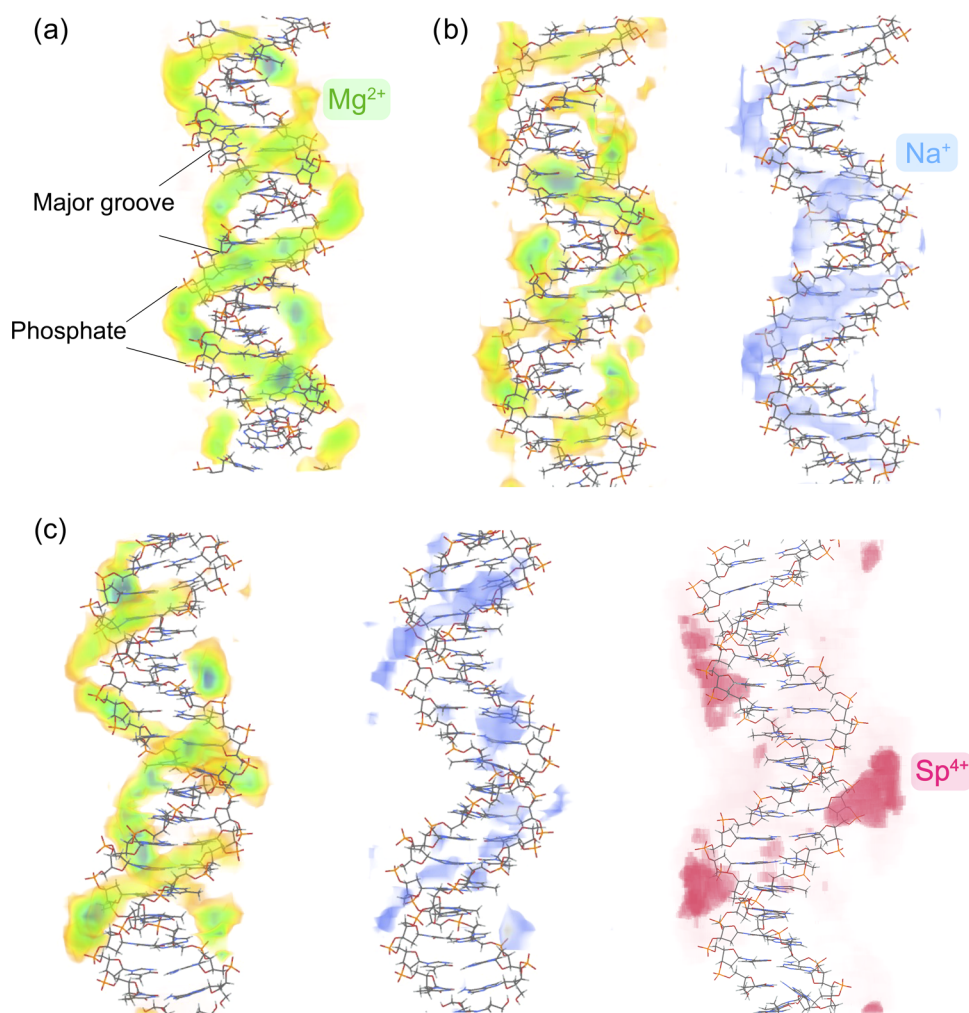


Figure 6. Spatial distribution of cations around the DNA duplex in different salt conditions. (a) 3D density map of cations in pure Mg²⁺, (b) mixtures of Mg²⁺ (green) and Na⁺ (blue), and (c) mixtures of Mg²⁺ (green), Na⁺ (blue), and Sp⁴⁺ (pink). The comparison of the K–Mg binary mixture is given in Figure S6.

that of Na–Mg, suggesting a similar effect on the DNA–DNA interactions. These observations are reminiscent of MixDNA in pure MgCl₂. Similar to MixDNA in MgCl₂, no azimuthal correlations are apparent from the FES, as shown in Figure 4d,e.

Unlike the Na–Mg and K–Mg solutions, the FES of Na–Mg–Sp exhibits a distinct minimum at close interhelical distances (Figure 4a,b). This observation is not surprising since spermine⁴⁺ is an effective condensing agent that can condense both long and short DNA duplexes, regardless of whether they are natural or synthetic.⁵⁷ Our results demonstrate a global minimum at $d \sim 2.6$ nm (Figure 4f), which is in good agreement with previous simulation and experimental studies, as highlighted in ref 22. In Na–Mg–Sp, similar to pure MgCl₂, we observe a well-defined angular preference with a deeper free energy minimum than in pure MgCl₂, albeit at very different azimuthal angles (2.51 vs. 0.25 rad for Na–Mg–Sp vs. MgCl₂).

Ion Competition Modulates DNA Interactions in Mixtures. To understand the molecular details underlying the different behaviors observed under the various salt conditions, we analyzed the average charge densities around the cylindrical coordinate of the H1 duplex in the free state, i.e., when the two duplexes are far apart. We computed the excess cation charge around the DNA helix from the

concentration profiles. The density profiles and excess charges under the four salt conditions are shown in Figure 5a,b.

The analysis of cation charge density reveals a critical difference between binary mixtures (Na–Mg and K–Mg), which show repulsion, and pure Mg²⁺ and Na–Mg–Sp, which show attraction. The common feature of the attraction cases is that the cation charge density is higher, resulting in excess charge accumulation that effectively screens the negatively charged DNA charges (Figure 5a, purple solid line). In the case of repulsion, the cation charge density is lower, resulting in poor screening of the DNA charges. Specifically, the positive charge within the R2 shell transitions approximately from +69e in pure Mg to +53e in Na–Mg (Figure S5). The K–Mg mixture mirrors Na–Mg. In the mixture of Na–Mg–Sp, the positive charge is about +71e. These marked differences in overall DNA charge neutralization are consistent with the observed attractive and repulsive interactions.

To understand the reasons behind the differences in screening, we constructed 3D ion density maps. We visualized the spatial distribution of cations around the DNA under each mixture condition (Figure 6a–c). As a reference point, we compared the cation distributions to those of pure Mg²⁺ (Figure 6a). To obtain a more quantitative picture, we also computed the cations' surface distribution function (SDF)

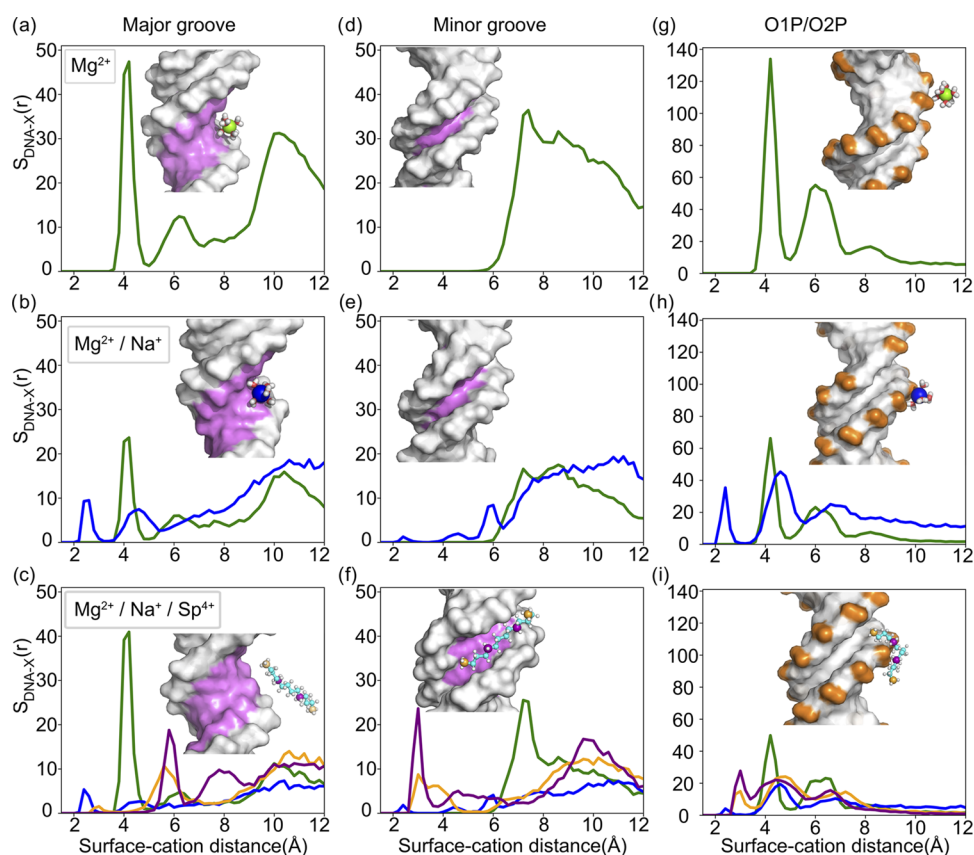


Figure 7. Comparison of the surface radial distribution function of cations around the DNA duplex in different salt conditions. (a–c) Major group atoms, (d–f) minor groove atoms, and (g–i) phosphate backbone. The x -axis represents the distance between cations and the surface of the selected group. For spermine⁴⁺, we divided it into two groups, as shown in the inset of (c) terminal nitrogen atoms (orange) and nonterminal ones (purple). The comparison of the K–Mg binary mixture is given in Figure S7.

(Figure 7) by probing the cations from the surface of the DNA rather than using a spherical volume element, as used in RDF (Figure 7).

A quick glance at the density maps reveals that cations compete with one another for the two DNA sites (major and phosphate backbone). The addition of Na⁺ to the Mg²⁺ salt impacts the two-layer binding of magnesium ions. We observe a weakening of the binding of Mg to the DNA surface. Indeed, the peak intensity of the SDF plots of the Mg²⁺ ion in pure Mg and Na–Mg mixture also shows this trend. Both the first layer and second layer of Mg binding to the DNA surface are impacted by the competition. The weakening occurs in the major groove and phosphate backbone synonymously. The minor groove, which does not show any Mg binding, remains the same. Similar to Na⁺, adding K⁺ to the system considerably reduces the Mg²⁺ binding to the major groove (Figure 7b compared to Figure S7a). We observe subtle differences in ion atmospheres between K⁺ and Na⁺. Specifically, K⁺ tends to be situated around the minor groove (Figures 7e vs. S7), exhibiting a more localized distribution compared to Na⁺, which shows diffusive binding in the proximity of the phosphate backbone (Figure S6 vs. 6).

How a monovalent ion competes with a divalent ion remains an interesting question. A careful look at the SDFs shows that Mg²⁺ ions keep a fair distance away from the DNA surface, e.g., peaking at an ~ 4.2 Å distance compared with an ~ 2.4 Å surface distance for Na⁺ and an ~ 2.8 Å surface distance for K⁺ (see Figures 7a–i and S7). This can be attributed to the strong hydration shell of Mg²⁺, which remains largely intact when

bound to DNA. Unlike Mg²⁺, the Na⁺ ions have a weaker solvation shell, leading to frequent dehydration events and almost equal Coulombic forces between hexahydrated divalent magnesium cations and dehydrated monovalent sodium cations. The larger size of K⁺ ions leads to a weaker hydration shell compared to Na⁺.^{55,58} This property also facilitates the direct binding of K⁺ ions to the DNA surface, causing them to compete with Mg²⁺ ions for DNA binding (see Figure S7).

Surprisingly, adding spermine⁴⁺ to the mixture helps to partially regain most of the lost territories of the magnesium binding sites in the major groove. This observation is better seen when we look at the SDF (Figure 7c in comparison to Figure 7b). Indeed, Mg distribution shows a stronger peak in the Na–Mg–Sp mixture in comparison to Na–Mg and K–Mg, despite the latter having a higher concentration of magnesium cations. This appears to stem from the different modes of cation binding and competition. Specifically, the spermine⁴⁺ ions expel Na⁺ ions from the major and phosphate backbone regions (Figure 7c, i vs. b and h). Unlike Mg, spermine acts as a competitor to sodium and potassium cations at all binding locations. Another notable observation is that due to its linear shape and weak hydration shell, spermine⁴⁺ affords the exploration of an alternative binding site. It mainly localizes around minor grooves (Figures 4c, 6c, and 7f), leading to the two well-defined “chains” of cation densities along the helical geometry of ATDNA (Figure 6a).

Consistent with previous studies of DNA interactions in spermine,^{22,28} our simulations identify spermine’s preferential localization at the minor groove regions. As illustrated in

Figure 4c, the bridging effect is likely facilitated by its chain-like shape, capable of physically spanning the interhelical space, leading to complex or disordered bridging configurations. Differently, our WTMD simulations that traverse interhelical distances and azimuthal angles suggest measurable azimuthal coupling for ATDNA construct in the presence of spermine. The orientational coupling common for Mg^{2+} and spermine offers a more general mechanism for the DNA–DNA interaction based on the correlated charges localized on the DNA surface. Based on our observation, we propose a zipper-like mechanism for like-charge attraction as a common mechanism for DNA–DNA interactions.

DISCUSSION AND CONCLUSIONS

Motivated by the elusive physical principles underlying ion-modulated DNA–DNA interactions, we conducted a computational study of the recently observed sequence-dependent attraction between two different DNA constructs under various solution conditions. Using well-tempered metadynamics and state-of-the-art analytical techniques, we provide unprecedented details on the configurational degrees of freedom and the thermodynamic contributions of all constituents. Importantly, comparing ATDNA and MixDNA offers a unique opportunity to probe the roles of DNA surface features, leading to the revelation of the unusual capacity of mobile, major groove-bound divalent cations in mediating sequence-dependent DNA–DNA attraction.

Our study provides robust evidence for continuous cation distributions in the ATDNA major groove and the positioning of groove-bound cations next to the opposing phosphate backbone of the other helix, enabled by interhelical orientational coupling. In contrast, MixDNA displays patched 3D cation distributions that do not register with opposing phosphate backbones in either the free or assembled states. As a result, the favorable electrostatic energy of ATDNA arises from a combination of stronger major groove binding of Mg^{2+} , delocalization of bound cations, and interhelical azimuthal ordering, which collaborate to enhance one another. At a more fundamental level, these electrostatic characteristics stem from the regularly spaced charge pattern of the ATDNA major groove and the commensurate helical geometry of homopolymeric ATDNA. As previously shown for the case of cobalt hexamine with RNA,²⁹ deeper binding of cations is destructive for mediating interhelical attraction. Therefore, we reason that the shallow binding of Mg^{2+} plays a critical role in mediating DNA–DNA attraction, as it positions Mg^{2+} ions closer to the opposing helix and facilitates cation–DNA charge correlations.

Our entropy analyses show that DNA condensation incurs significant entropic penalties for both DNA and cations, disfavoring their assembly for both ATDNA and MixDNA sequences. Interestingly, the loss of cation entropy is the largest differentiating factor, creating a strong driving force toward dissociation in the case of MixDNA. ATDNA, however, appears to retain substantial levels of cation entropy, which lowers the barrier to condensation. Nonetheless, cation entropy poses a barrier to assembly for both ATDNA and MixDNA. However, solvent entropy overall favors condensation, with the ATDNA solvation shell providing a stronger driving force dominated by cation dynamics and electrostatic interactions. Our analysis shows that the contribution of Coulomb energy between DNA pairs provides the driving force. The unique topology of ATDNA with a dynamic two-layer cation shell offers better screening than MixDNA.

Specifically, homopolymeric ATDNA lines up the partial charges in the major groove in a continuous and periodic fashion, which not only enhances cation binding but confers significant mobility to hydrated Mg^{2+} with shallow binding. This gives rise to a fluidic chain of cations along the DNA major groove rather evenly spaced with the phosphate backbone (which is partially neutralized by electrostatically bound cations). The interdigitated charge patterns create “zipper-like” charge–charge correlations via orientational coupling. DNA assembly is driven by electrostatic attraction between correlated charges of opposite signs. It is worth noting that in spite of resembling positional arrangement, our proposed mechanism is physically different from the KL zipper model. First, the KL model starts with cations already bound in the major groove based on empirical observations, while the major groove cation binding here is substantiated by physical MD simulations. We further show cation binding to be sequence- and cation-dependent, which is a fundamental difference between ATDNA and MixDNA. Second, the KL model presumes static cation binding in evenly spaced sites that are unphysical, while the cations in the major groove here are observed to retain high levels of mobility, evident from their continuous spatial distributions and entropy calculations. Our studies indicate that the cation dynamics not only make key entropic contributions but also allow exchanges (hops) between adjacent helices. Cation dynamics is thus a novel observation of this study, which requires certain surface features and shallow cation binding.

On the whole, while often deemed to be dominated by the electrostatics of the phosphate backbone, nucleic acid interactions are *de facto* multifaceted, and perhaps more remarkably, nucleic acids prove to be capable of modulating molecular interactions via a variety of surface restructuring strategies. For example, drastic changes can be made by forming multistranded structures such as triplex and quadruples, which have been shown to condense in divalent and even monovalent counterions.^{59,60} Biochemical modifications such as methylation and hydroxylation occur widely in biology and have been shown to promote interhelical repulsion. Our study here addresses a more subtle perturbation of the structure via the DNA sequence alone, which nonetheless demonstrates the ability to turn repulsion into attraction in divalent salts. Such multistranded structures, modifications, and repeating sequences are abundant in biology. It is important to recognize the peculiarities of these noncanonical structures to elucidate their functional mechanisms at the molecular level. Furthermore, the versatility of nucleic acids in modulating interactions is expected to be able to assist with the synthesis of functional or therapeutic assemblies, such as DNA origami and lipid nanoparticles.

ASSOCIATED CONTENT

Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jctc.3c00520>.

Molecular simulation details for the studied DNA systems, including brute-force MD and well-tempered metadynamics simulations details, as well as data analysis procedures for computing entropy from MD simulations, constructing cation density profiles, analyzing water structuring, and ion coordination analysis and topology files for spermine (PDF)

Molecular simulation of ATDNA in Mg^{2+} (Movie S1) (MOV)
Molecular simulation of ATDNA in a mixture of Mg^{2+} , Na^+ , and Sp^{4+} (Movie S2) (MOV)

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Notes

The authors declare no competing financial interest.

ACKNOWLEDGMENTS

We thank NYUAD for their generous support for the research. This research was carried out on the High-Performance Computing resources at New York University Abu Dhabi. S.K. and W.H. would like to thank the REF Grant 317 and AD181 faculty research grant. We thank Richard H. Henchman for his help with the program CodeEntropy.

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